IJREAT International Journal of Research in Engineering & Advanced Technology, Volume 9, Issue 2, April- May, 2021
ISSN: 2320 – 8791 (Impact Factor: 2.317)
www.ijreat.org

An Efficient Image Denoising by Daubechies, Symlets, Coiflets and BiorSplines Wavelets

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Abstract
During transmission and the influence of environment, transmission channel, and other factors, images are inevitably contaminated by noise during acquisition, compression, and transmission, leading to distortion and loss of image information. In this project, the image corrupted by additive random noise can easily be denoised by using Daubechies, Symlets, Coiflets and BiorSplines Wavelets.

Keywords— de-noising; Daubechies; Symlets; Coiflets; BiorSplines;

I. INTRODUCTION

Owing to the influence of environment, channel, and other factors, images are inevitably contaminated by noise during acquisition, compression, and transmission, leading to distortion and loss of image information. With the presence of noise, possible subsequent image processing tasks, like video processing, image analysis, and tracking, are adversely affected [1]. Therefore, image denoising plays an important role in modern image processing systems. Image denoising is to urge obviate noise from a loud image, so on restore truth image. However, since noise, edge, and texture are high frequency components, it's difficult to differentiate them within the method of denoising and thus the denoised images could inevitably lose some details. Overall, recovering meaningful information from noisy images within the method of noise removal to urge high quality images may be a crucial problem nowadays. In fact, image denoising could also be a classic problem and has been studied for an extended time. However, it remains a challenging and open task. The foremost reason for this is often that from a mathematical perspective, image denoising is an inverse problem and its solution isn't unique. In recent decades, great achievements are made within the world of image denoising [2]. Over the past decade, wavelet transforms have received plenty of attention from researchers in many different areas. Both discrete and continuous wavelet transforms have shown great promise in such diverse fields as compression , image de-noising, signal processing, computer graphics , and pattern recognition to call only a few of . In de-noising, single orthogonal wavelets with a single-mother wavelet function have played an important role. De-noising of natural images corrupted by Gaussian noise using wavelet techniques is extremely effective thanks to its ability to capture the energy of a symbol in few energy transform values [3].Wavelets are of wide potential use in statistical contexts. The basics of the discrete wavelet transform are reviewed employing a filter notation that's useful subsequently within the paper. A 'stationary wavelet transform', where the coefficient sequences aren't decimated at each stage, is described [4]. Two different approaches to the event of an inverse of the stationary wavelet transform are begun. The appliance of the stationary wavelet transform as an exploratory statistical method is discussed, in conjunction with its potential use in nonparametric regression. How of local spectral density estimation is developed [5]. This involves extensions to the wavelet context of ordinary statistic ideas just like the periodogram and spectrum [6]. Denoising with the traditional (orthogonal, maximally decimated) wavelet transform sometimes exhibits visual artifacts like Gibbs phenomena within the neighborhood of discontinuities. The Cycle-Spinning averages the range of shifts; one circularly shifts the data and denoises the shifted data, then unshifts the denoised data. Applying this for each of range of shifts, and averaging the several results so obtained, produces a reconstruction subject to far weaker Gibbs phenomena than the sting based denoising using the traditional orthogonal wavelet transform[7]. Image Denoising may be a crucial a neighbourhood of diverse image processing and computer vision problems. The important property of an honest image denoising model is that it should completely remove noise as far as possible also as preserve edges [8]. One of the foremost powerful and perspective approaches during this area is image denoising using discrete wavelet transform (DWT). Innovative denoising techniques supported Stationary Wavelet Transform (SWT) have started being applied to Pulsed Thermography (PT) sequences, showing marked potentialities in improving defect detection. During this contribution, a SWT-based denoising procedure is performed on high and low resolution PT sequences[9]. Samples under test are two composite panels with known defects. The denoising procedure undergoes an optimization step. The wavelet de-noising scheme thresholds the wavelet coefficients arising from the standard discrete wavelet transform. Spatial domain methods aim to urge obviate noise by calculating the grey value of each pixel supported the correlation between pixels/image patches within the first image[10]. To urge an honest estimation image, image denoising has been well-studied within the sector of image processing over the past several years. Generally, image denoising methods are often roughly classified as spatial domain methods and transform domain methods. Generally, spatial domain methods are often divided into two categories: spatial domain filtering and variation denoising methods.

II. IMAGE DENOISING BY DWT AND STATIONARY WAVELET

In this paper, the image corrupted by additive random noise can easily be removed using Daubechies, Symlets, Coiflets and BiorSplines Wavelets methods. De-noising of natural images corrupted by Gaussian noise using wavelet techniques is extremely much effective due to its ability to capture the energy of a sign in few energy transform values. In this project, four different wavelets are proposed to research the suitability of various wavelet bases and therefore the size of various neighbourhoods on the performance of image de-noising algorithms in terms of peak signal to noise ratio (PSNR). Initially, the grey scale image I1 of size NxM is corrupted by additive Gaussian noise. Then the additive Gaussian noise I2 could be denoised by Daubechies, Symlets, Coiflets and BiorSplines Wavelets. The similarities between the images I1 and I2 evaluated by three metrics included in this work are: Mean Squared Error (MSE), Peak Signal to Noise Ratio (PSNR), and Signal to Noise Ratio (SNR).

$$\text{Mean Square Error ,MSE } (I,I_1) = \frac{1}{NM}\sum_{i=1}^{N}\sum_{j=1}^{M}[I(_{i,j}) - I_{1(i,j)}]^2 \ldots\ldots\ldots \quad (2.1)$$

$$\text{Peak Signal to Noise Ratio, PSNR } (I,I_1) = 10\log\left(\frac{\max(I^2)}{MSE(I,I_1)}\right) \ldots\ldots\ldots\ldots\ldots \quad (2.2)$$

Signal to Noise Ratio, SNR

$$(I,I_1) = 10\log\left(\frac{\sum_{i=1}^{N}\sum_{j=1}^{M} I(i,j)^2}{N.M.MSE(I,I_1)}\right) \ldots\ldots\ldots \quad .(2.3)$$

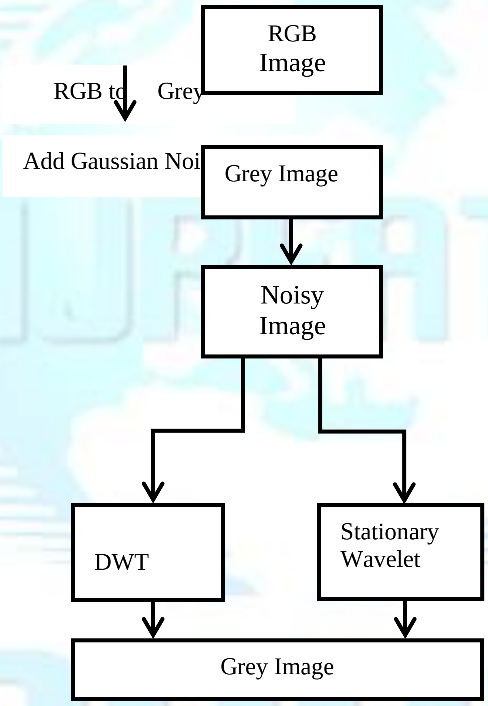

Fig. (2.1): Image noising and denoising process

III.EXPERIMENTAL RESULTS

The performance of Daubechies, Symlets, Coiflets and BiorSplines Wavelets has been evaluated in terms of MSE, SNR and PSNR for different levels of added noise. The figures from 3.1 to 3.8 represent grey images, noisy images and denoised images by applying DWT and stationary wavelets. The different levels of noise and the corresponding MSE, SNR and PSNR of denoised images are tabulated in table3.1. The variation of MSE.SNR and PSNR for different levels of noise plotted in different charts3.1 to 3.4.

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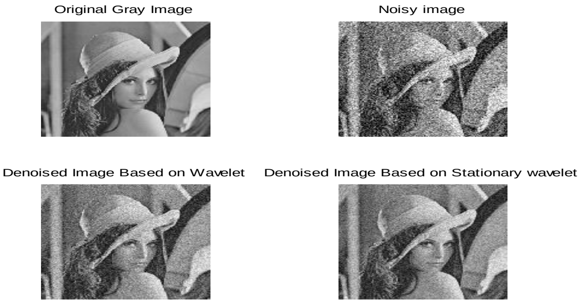

Figure (3.1) Noisy and denoised images of LENA using Daubechies wavelet with 2dB added noise using level-1 decomposition.

Figure (3.2) Noisy and denoised images of LENA using Daubechies wavelet with 2dB added noise using level-2 decomposition.

Figure (3.3) Noisy and denoised images of LENA using Daubechies wavelet with 5dB added noise using level-1 decomposition.

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Figure (3.4) Noisy and denoised images of LENA using Daubechies wavelet with 5dB added noise using level-2 decomposition.

Figure (3.5) Noisy and denoised images of LENA using Daubechies wavelet with 8dB added noise using level-1 decomposition.

Figure (3.6) Noisy and denoised images of LENA using Symlets wavelet with 2dB added noise using level-1 decomposition.

Figure (3.7) Noisy and denoised images of LENA using Coiflets wavelet with 5dB added noise using level-2 decomposition.

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S.No	**Wavelet**	**Added noise Intensity**	**Decom position Level**	**Noisy Image**			**DWT based Denoised Image**			**Stationary Wavelet based Denoised Image**		
	Image: LENA			MSE	SNR	PSNR	MSE	SNR	PSNR	MSE	SNR	PSNR
1	Daubechies	2dB	1	0.0209	11.12	16.78	0.0057	16.62	22.32	0.0032	18.53	24.51
			2				0.0038	19.45	25.11	0.0013	22.09	27.75
		5dB	1	0.0108	13.98	19.64	0.0032	19.13	24.79	0.0015	21.49	27.15
			2				0.0023	20.76	26.46	0.0017	23.56	29.22
		8dB	1	0.0055	16.92	22.58	0.0019	21.43	27.09	0.0010	24.02	29.68
			2				0.0017	21.98	27.64	0.0008	24.96	30.62
2	Symlets	2dB	1	0.0209	11.12	16.78	0.0055	16.90	22.56	0.0038	18.44	24.10
			2				0.0024	20.43	26.09	0.0017	21.94	27.60
		5dB	1	0.0108	13.98	19.64	0.0030	19.54	25.20	0.0020	21.12	26.78
			2				0.0017	21.90	27.56	0.0012	23.48	29.14
		8dB	1	0.0055	19.62	22.58	0.0016	22.08	27.74	0.0011	23.74	29.40
			2				0.0012	23.25	28.91	0.0008	24.94	30.60
3	Coiflets	2dB	1	0.0209	11.12	16.78	0.0054	16.94	22.60	0.0041	18.20	23.86
			2				0.0023	20.64	26.30	0.0017	21.79	27.45
		5dB	1	0.0108	13.98	19.64	0.0029	19.62	25.28	0.0022	20.90	26.56
			2				0.0016	22.21	27.87	0.0012	23.40	29.06
		8dB	1	0.0055	16.92	22.58	0.0016	22.23	27.89	0.0012	23.54	29.20
			2				0.0011	23.61	29.27	0.0008	24.89	30.55
4	BiorSplines	2dB	1	0.0209	11.12	16.78	0.0057	16.74	22.40	0.0039	18.36	24.02
			2				0.0029	19.68	25.34	0.0017	21.97	27.64
		5dB	1	0.0108	13.98	19.64	0.0030	19.43	25.09	0.0021	21.05	26.71
			2				0.0018	21.74	27.40	0.0011	23.66	29.32
		8dB	1	0.0055	16.92	22.58	0.0016	22.06	27.72	0.0011	23.68	29.34
			2				0.0011	23.64	29.30	0.0008	25.26	30.93

Table 3.1: The different levels of noise and the corresponding MSE, SNR and PSNR of denoised images

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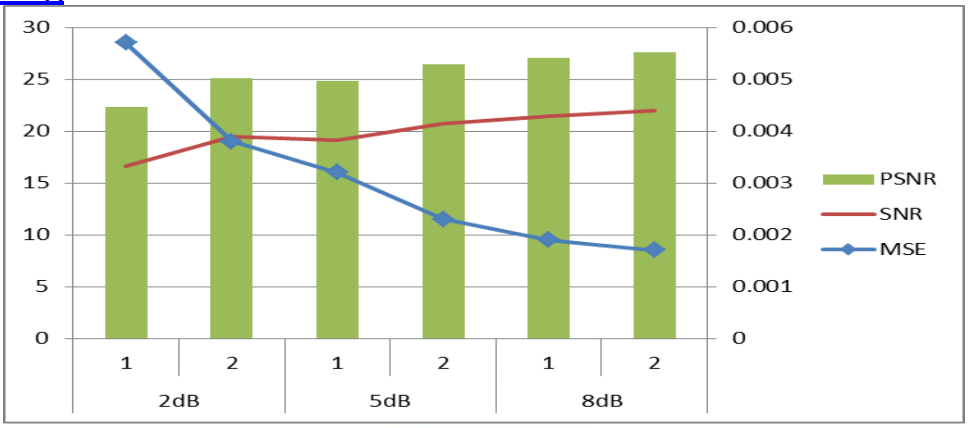

Chart 3.1: Variation of MSE, SNR and PSNR for Daubechies based denoised image

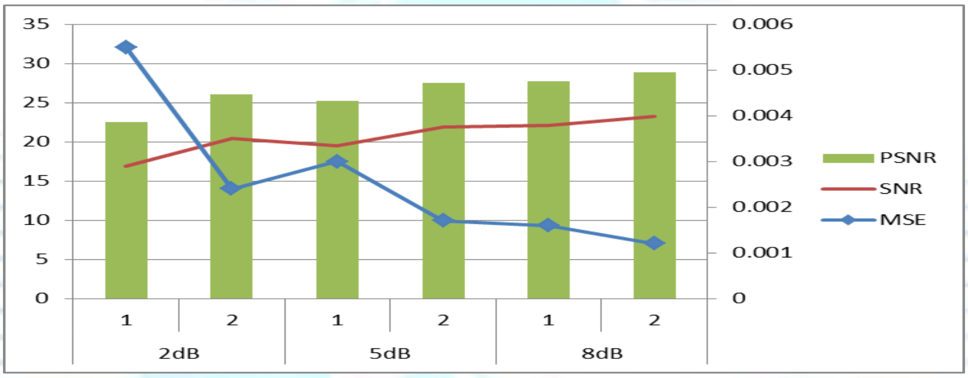

Chart 3.2: Variation of MSE, SNR and PSNR for Symlets based denoised image

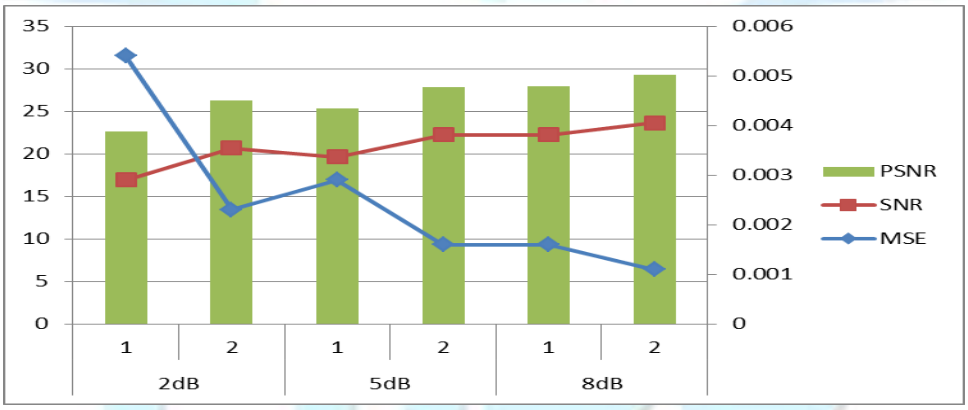

Chart 3.3: Variation of MSE, SNR and PSNR for Coiflets based denoised image

Chart 3.4: Variation of MSE, SNR and PSNR for BiorSplines based denoised image

IV. CONCLUSIONS & FUTURE SCOPE

In this paper, initially the image is corrupted by an additive Gaussian noise; later the additive noise could be removed by using Daubechies, Symlets, Coiflets and BiorSplines Wavelets. The experimental results, which have been plotted for different noise levels for different wavelets with different decomposition levels, showed that the images are denoised effectively. However the performance of the algorithms can be improved by introducing neural networks, fuzzy logic and neuro fuzzy.

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